## Configuration Driven Design and Reuse: Present and Future



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PRECISE, Purdue University, Patents Pending

## Current Work

- Configuration driven design
  - Reuse product and analysis models in new designs
  - Automatically maintain consistency among sub-systems





## Basics - Product realization









## Design task as a predicate



- Concept definition encapsulates analysis representation
- Provides flexible representation for re-design thro' physics based configuration
- Mathematically captures interactions within product

<sup>1</sup> Devanathan et al., 2005

## **Configuration driven design**

- The domain for each concept is hierarchical
- Each product associated with model that mathematically describes variants in the product space





## Example – Solenoid

							Sectional View			
	Meta	Variable	Variable		Data					
S.No	Variable	Name	Symbol	Туре	Туре	Unit				
1	Bobbin	Bobbin Inner Diameter	b id	geometric	real	mm				
2		Bobbin Length	ь	geometric	real	mm	ů – Li – L			
3		Bobbin Outer Diameter	b_od	geometric	real	mm	ph_1			
4		Bobbin Thickness	b_t	geometric	real	mm				
5	Coil	Coil Average Diameter	dav	-	real	mm				
6		Coil Inner Diameter	d_in	geometric	real	mm				
7		Coil Length	<b>c_</b>	geometric	real	mm				
8		Coil No of Turns	n		integer		0.4			
9		Coil No of Windings	n_w		integer		p_d b_d			
10		Coil Outer Diameter	d_out	geometric	real	mm				
11		Coil Resistance	r	_	real	ohm				
12	Core	Core Diameter	co_d	geometric	real	mm				
13		Core Length	co_l	geometric	real	mm				
14	Plunger	Plunger Diameter	p_d	geometric	real	mm				
15		Plunger Flux Area	a_pw		real	mm2				
16		Plunger Flux Path Length	U		real	mm	Co_l			
17		Plunger flux path length eqv	l_i_2		real					
18		Plunger Permeability	p_mu		real					
19		Plunger Wall Gap	l_pw	geometric	real	mm				
20		Plunger Length	p_l	geometric	real	mm	[w_1 := n * rho * PI * d_av / 2.0			
21		Plunger Wall Gap eqv	1_pw_2		real		[r := rho * w_1			
22	Shell	Shell Diameter	sh_d	geometric	real	mm	[d_av := (d_in + d_out ) / 2.0			
23		Shell Relative Permeability	sh_mu_r		real		[n_w := n * w_d / c_1			
24		Shell Thickness	sh_t	geometric	real	mm	[d out := n w * w d			
25		Shell Length	sh_l	geometric	real	mm	[i ss := v / r]			
26		Shell Average area	a_i		real	mm2	$[a \ \alpha := 0 \ 25 * PT * p \ d^2$			
27	Wire	Wire Diameter	w_d		real	mm	$[k_1] := 0.5 \times p_{mu} \times p_{mu} \times p_{mu} \times p_{mu}$			
28		Wire Length	w_l		real	mm	$\begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \\ \mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I} & \mathbf{I} \end{bmatrix} = \begin{bmatrix} \mathbf{K}\mathbf{I}$			
29		Wire Resistance per length	rho		real	ohm/m	$[1_C \cdot = 1_pw_2 + 1_1_2 / s_1_mu_1$			
30		Average Force	f_avg		real	N	$[f_min = kI * (1_ss^2) / ((1_gap_max + 1_c))$			
31		Cross-section Gap Area	a_g		real	mm	[1_max := sqrt(f_max *(l_gap_min + 1_c) / kl)			
32		Force coefficient	k1		real		[l_gap_max := l_gap_min + stroke			
33		Length			real	mm	$[f_avg := 0.5 * (f_min + f_max)$			
34		Maximum Current	i_max		real	A	$[1 := c_1 + 2*sh_t + b_t$			
35		Maximum Force	f_max		real	N	[a pw := PI * sh d * sh t			
36		Maximum Gap Length	_gap_max		real	mm	$[1_{pw} := 0.5 * (sh_d - p_d)$			
37		Minimum Force	r_min		real	N	[] w 2 := ] w * a g / a w			
38		Minimum Gap Length	I_gap_min		real	mm	$\begin{bmatrix} 1 & 1 \\ 1 & 2 \end{bmatrix} = \begin{bmatrix} 1 & 2 \\ 2 & 2 \end{bmatrix} = \begin{bmatrix} 1 $			
39		Operating Voltage	v		real	V I	$\begin{bmatrix} 1 \\ 1 \end{bmatrix} = \begin{bmatrix} 2 \\ - \end{bmatrix} = \begin{bmatrix} 1 $			
40		Steady State current	I_SS		real	A				
41		Stroke	stroke		real	mm	la_i := 2 * PI * d_out * sh_t			

## **Configuration design problem**

- Modeled as a composite-CSP
  - Hierarchical domain, dynamic, meta-CSP
  - Collection of meta-problems  $\{\langle \Phi, X, D, C, F \rangle\}$

Minimize  $F = F(\phi) = \{F_i(X)\}, i = \{1, 2, ..., m_i\}$  such that

$$C = \{G, H\}$$

$$\Phi = \Phi(\phi) = \{\phi_1\}, \ j = \{1, 2, ..., m_2\}$$

$$X = X(\phi) = P \cup \left(\bigcup X(\phi_j)\right), \ X \in D$$

$$D = D(\phi) = D(P) \cup \left(\bigcup D\left(X(\phi_j)\right)\right)$$

$$G = G(\phi) = \{g_2(X) \le 0\}, \ k = \{1, 2, ..., m_i\}$$

$$H = H(\phi) = \{h_i(X) = 0\}, \ l = \{1, 2, ..., m_i\}$$

$$P = P(\phi) = \{p_i\}, \ s = \{1, 2, ..., m_i\}, \ p_i \in D(p_i)$$

$$m_1, m_2, m_3, m_4 \text{ and } m_5$$

- , the set of constraints is satisfied, where,
  - , the set of *m*2 meta-variables (or sub-concepts);
  - , the design variables;
  - , the set of domains for the design variables;
  - , the set of inequality constraint;
  - , the set of equality constraints;
  - , the parameters of the meta-variable;

5 are constants.

- Domain for meta-variables (concepts) is hierarchical
- Reduces to a continuous CSP or an Optimization problem under restrictions.



### Example Screenshot



#### Constraint network (solenoid valve)





- Automatically formulate
   optimization problem
- Use Constraint solver for consistency maintenance

## **Co** Leverage

- Two Ph.D. students who are well past their course work and have real design experiences in industry, sufficient computational and information science backgrounds including (Algorithms (CS580), Computer Graphics (CS535), and Database Systems (CS541)).
- University fellowships to the student, TA ship, and the University Faculty Award to the PI
- Past 3 years of 2 students work was funded
- Engineous and Alcoa student internships.

## Observation => New Idea

- Repeated analysis creation/run for
  - Change in requirements, constraints and objectives
  - Small changes in geometry
  - Validation
  - Application in a new design
  - Decision making and selection
- Time consuming and redundant

## Proposed new research

- Design Space: The n-dimensional space of valid designs; Performance space: space of performance parameters
- Pre-compute the design and performance space
  - Allow exploration of the entire design space
  - Store the design space efficiently
  - Search the space for a valid design based on new specifications
- Use the product space during configuration design

#### Value Proposition (Business)

- Cut design time drastically by
  - Reusing analysis data for new designs by leveraging high performance computing infrastructure
  - Reusing analysis models by reformulation
  - Reuse analysis setup by transferring boundary constraints and loading between designs

#### **Concept selection using Product Spaces**

- Given a concept definition, in terms of parameters and constraints, quickly answer
  - Is a specification feasible?
  - Can we find instances of two concepts that will function together?
- We attempt to use product spaces for such questions
- Product Space = {Design Space, Performance Space}



#### **Design space creation and exploration**



# Proposed research

- Massively parallel algorithms for precomputing design spaces
  - Utilize high performance computing to explore the space defined by the model
  - Efficient data structures for indexing and reasoning with design spaces
- Transfer of constraints, parameters, boundary conditions, loads from previous design (geometry) to current geometry

- Extension from 2D to 3D

# Summary

- Past work was completed beyond original goals
- New proposals to NSF (CreativeIT \$200 K being prepared leverages this work)
- Another proposal envisioned in the new areas described = NSF CI positioning (\$50 -\$250 Million over 2008-12)
- Industry support of higher order (\$150 K \* 3 years = \$450 K) can provide significant business advantage for services, products and future awards.

#### **Cyber-Enabled Discovery & Innovation (CDI)**

"Broaden the Nation's capability for innovation by developing a new generation of computationally based discovery concepts and tools to deal with complex, datarich, and interacting systems."

- ENG broadly supports research in advanced cyberenabled engineering throughout all its divisions.
- OI investments areas include:
  - Complex interactions
  - Computational experimentation
  - Knowledge extraction
  - Virtual environments
  - Education in computational discovery

→ Budgets ·	- 2008	2009	2010	2011	2012
	\$51.98m	\$100m	\$150m	\$200m	\$250m